Reconstruct the tree

Input file:	`standard input`
Output file:	`standard output`
Time limit:	1 second
Memory limit:	256 megabytes

You are given a remembered collection of *diameter endpoint pairs* that Little Grey wrote down when he owned a tree with N nodes. Now he forgot the tree itself. Your task is to reconstruct **any** tree on N labeled nodes whose set of unordered pairs of nodes at distance equal to the tree diameter is exactly the given collection — or report that his memory is inconsistent (i.e. no such tree exists).

A *diameter* of a tree is the longest simple path in the tree; its length is the maximum distance between any two vertices. A pair (u, v) is a *diameter endpoint pair* if the distance between u and v equals the length of tree diameter. The given collection contains unordered pairs and may list them in any order.

Input

The first line contains a single integer T $(1 \le T \le 2 \cdot 10^5)$ — the number of test cases.

Each test case begins with a line containing three integers N, M $(2 \le N \le 2 \cdot 10^5,\ 1 \le M \le 2 \cdot 10^5)$ — the number of nodes and the number of remembered unordered pairs.

Then follow M lines, each containing two integers u and v $(1 \le u, v \le N,\ u \ne v)$, representing an unordered pair that Little Grey remembered as being at distance equal to the length of tree diameter.

All M pairs in one test case are distinct.

It is guaranteed that $\sum N \le 2 \cdot 10^5, \sum M \le 2 \cdot 10^5$ where sums are over all test cases.

Output

For each test case, print:

If there exists a tree on nodes $1 \ldots N$ whose set of unordered node-pairs at distance equal to the tree diameter is **exactly** the given set, print a line YES and then $N-1$ lines describing any such tree as edges (a, b) (one edge per line, nodes separated by a space; the tree should be connected and acyclic).

If multiple valid trees exist, you may output any of them.

Otherwise, print a single line NO.

Example

standard input	standard output
3 2 1 1 2 3 2 1 2 2 3 4 3 1 2 2 3 1 3	YES 1 2 NO YES 4 1 4 2 4 3