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## Problem A. Fake Plastic Trees

Input file:            standard input  
Output file:           standard output  
Time limit:            1 second  
Memory limit:         1024 megabytes

**Tree** is a recursive structure, which is either:

- **Empty.** Empty tree is denoted as  $-1$  and has a size of 0.
- **Non-empty.** Non-empty tree  $T$  is denoted as a pair of two trees  $(T_1, T_2)$ , where  $T_1$  is called **left subtree** of  $T$ , and  $T_2$  is called **right subtree** of  $T$ . If  $T = (-1, -1)$ , then we call such  $T$  a **leaf**. Leaf has a size of 1, and non-leaf has a size of  $|T_1| + |T_2|$ , where  $|T_1|$  is the size of  $T_1$ , and  $|T_2|$  is the size of  $T_2$ .

A non-empty tree  $T$  is a **Fake Plastic Tree**, if the tree is *balanced*. Formally, Let  $T = (T_1, T_2)$ . If  $|T_1| = |T_2|$  or  $|T_1| = |T_2| + 1$  holds, then  $T$  is a Fake Plastic Tree.

In computer science, trees are commonly used as a data structure, and they are stored in a memory. At first, there are no trees in the memory, and only an imaginary *null pointer* exists (which corresponds to empty tree,  $-1$ ). You can allocate a tree in the memory, by setting  $T_1$  and  $T_2$  as either a null pointer or a pointer of an existing tree. Then, the memory is extended by adding  $T = (T_1, T_2)$  into its structure. Note that pointer can be described as a small integer, reducing the need for explicitly storing the whole tree.

Formally, memory  $M$  is an inductive structure, which at first contains only empty tree  $-1$ . ( $M = \{-1\}$ ). You can expand the memory with following operation  $M \leftarrow M \cup \{(T_1, T_2)\}$ , where  $T_1 \in M, T_2 \in M$ . If a tree  $T$  is inserted in  $i$ -th stage, then it has the **index**  $i - 1$ . For a tree with index  $i$ , their subtrees can be represented as a pair of integer in range  $[-1, i - 1]$ .

Your task is to construct a memory  $M$ , which satisfies the following :

- Every tree in  $M$  is either empty or Fake Plastic Tree.
- $M$  has at most 125 non-empty trees.
- There exists a tree  $T \in M$ , where  $|T| = N$  holds.  $N$  is an integer, and is given as an input.

### Input

The first line contains a single integer  $T$ , the number of test cases. ( $1 \leq T \leq 2000$ )

In the next  $T$  lines, a single integer  $N$  is given, which indicates the number of leaves your tree should contain. ( $1 \leq N \leq 10^{18}$ )

### Output

For each case, you should print  $V+2$  lines, where  $V$  is the number of non-empty trees in  $M$ . ( $1 \leq V \leq 125$ ).

In the first line, you should print single integer  $V$ .

In the next  $V$  lines, you should print two space-separated integer  $L_i, R_i$ , which indicates the index of left subtree and right subtree for a tree with index  $i$ . ( $-1 \leq L_i, R_i \leq i - 1$ ).

In the  $V + 2$ -th line, you should print  $P$ , the index of the tree which contains  $N$  nodes. ( $0 \leq P \leq V - 1$ ).

It is guaranteed that an answer always exists under the given condition.

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## Example

standard input	standard output
4	1
1	-1 -1
2	0
3	3
4	-1 -1
	-1 -1
	0 1
	2
	3
	-1 -1
	0 0
	1 0
	2
	5
	-1 -1
	0 0
	0 0
	2 1
	1 2
	3