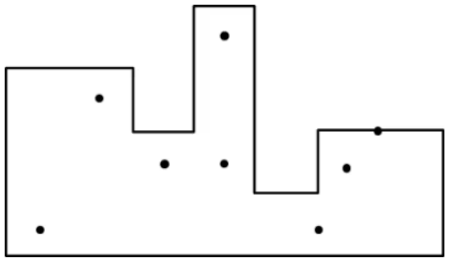
Problem E. Efficient Pest Management

Input file:	`standard input`
Output file:	`standard output`
Time limit:	1 second
Memory limit:	1024 megabytes

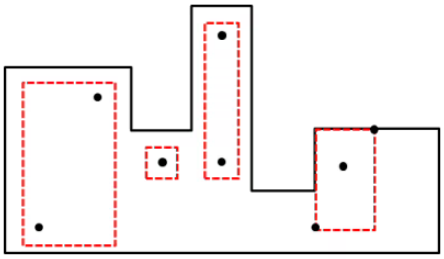
There is a field that borders a straight road. Suppose the road is on the Ox axis. Each boundary edge of the field is either horizontal or vertical. The leftmost and the rightmost edges are vertical and adjacent to the base edge which lies on the road. The length of the base edge is equal to the sum of the lengths of all other horizontal edges. See the figure below:



The dots on the boundary or in the interior of the field represent the locations infested by pests. To efficiently eradicate the infestation, the farmer tries to divide the infested area into several rectangular areas that satisfy the following conditions:

- Each rectangular area must be contained within the field. It is allowed for the edges of a rectangle to overlap the boundary of the field.
- Each edge of a rectangular area is either horizontal or vertical.
- Rectangular areas are completely separated from each other, including their boundaries.
- Each pest infestation location must be contained within one of the rectangular areas. It is allowed for a pest infestation location to lie on an edge of a rectangle.

The figure below shows four rectangular areas covering all pest infestation locations. The farmer wants to minimize the number of rectangular areas for efficient pest management.



Given the boundary of the field and the pest infestation locations, write a program to compute the minimum number of rectangular areas that satisfy the above conditions.

Input

The input starts with a line containing two integers, m ($4 \le m \le 100\,000$) and n ($0 \le n \le 100\,000$), where m is the number of edges of the field and n is the number of the pest infestation locations.

In the second line, m integers $v_1, v_2, \ldots, v_m$ ($v_1 = v_m = 0, 0 \le v_i \le 10^6$) are given. They alternate between the x coordinates of the vertical edges and the y coordinates of the horizontal edges. These vertical and

horizontal edges are met alternately when traversing the upper boundary of the field clockwise from the left end of the base edge to the right end. So, the first edge in the traversal is a vertical edge from $(v_1, 0)$ to (v_1, v_2), the next edge is a horizontal edge from (v_1, v_2) to (v_3, v_2), and so on.

Starting from the third line, each of the next n lines contains two integers x and y representing the coordinates of a pest infestation location. All locations are on the boundary or in the interior of the field.

It is guaranteed that the length of the base edge is equal to the sum of the lengths of all other horizontal edges.

Output

Print exactly one line. The line should contain an integer representing the minimum number of rectangular areas that satisfy the above conditions.

Examples

standard input	standard output
12 8 0 30 20 20 30 40 40 10 50 20 70 0 4 5 15 26 25 15 35 15 35 35 50 5 55 15 60 20	4
4 0 0 10 50 0	0
12 3 0 3 2 6 4 1 6 4 8 2 10 0 3 5 7 3 3 1	2